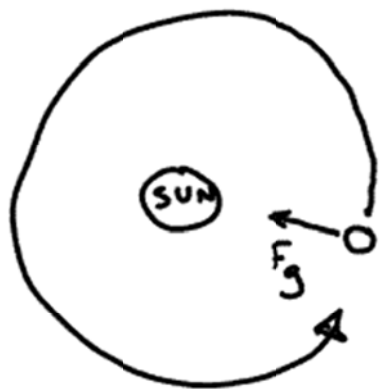


# AP Physics - Circular Motion - Problem Types

Note Title

10/30/2007

## Orbit Problems



Centripetal acceleration is provided entirely by gravity  $F_g$ .

$$\Sigma F = ma_c$$
$$F_g = \frac{mv^2}{R} = \frac{m4\pi^2 R}{T^2} = m4\pi^2 R f^2$$

## Space Station (spinning to create "artificial gravity")

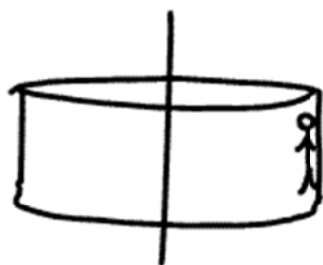


$F_N$

(Normal force provide by inside of space station)

$$F_c = F_N = \frac{mv^2}{R}$$

## Gravitron (the carnival ride)



$F_f = \mu F_N$

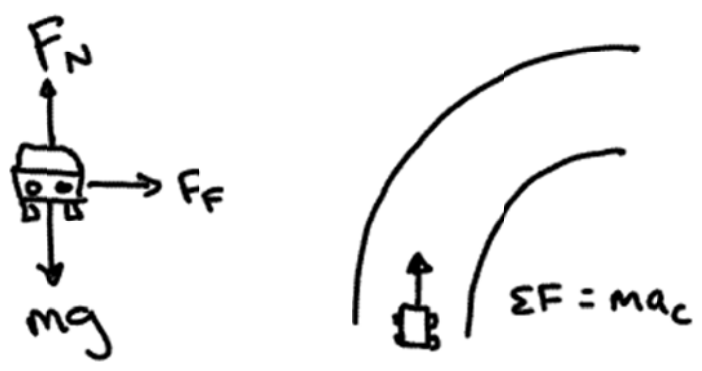
$F_c$

$mg$

$$F_c = F_N = \frac{mv^2}{R}$$

(Note that person would drop if there wasn't enough friction!)

# A car turning

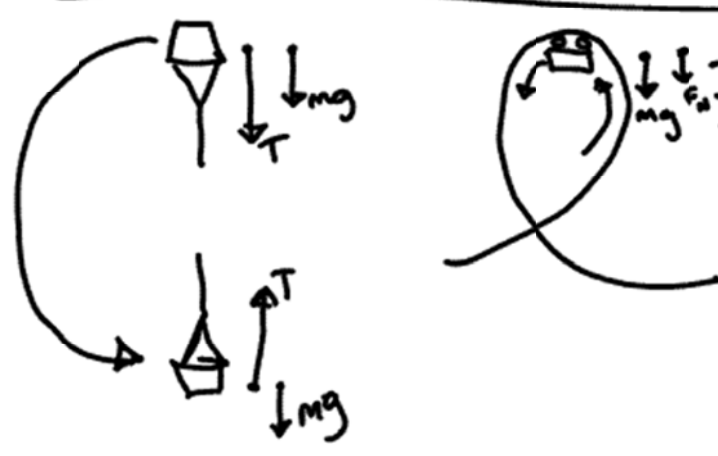


In order to make the turn, the car has to have sufficient traction.  
 Traction = Friction = Good  
 No traction = No friction = car slides off road

$$F_F = mac$$

$$F_F = \frac{mv^2}{R}$$

# Vertical Circle (Loop-de-Loop)



In order for the roller coaster not to fall, the roller coaster must be going fast enough so that  $\frac{mv^2}{R} = \Sigma F_y$

The minimum speed at which this occurs is when  $F_N = 0$ , so that

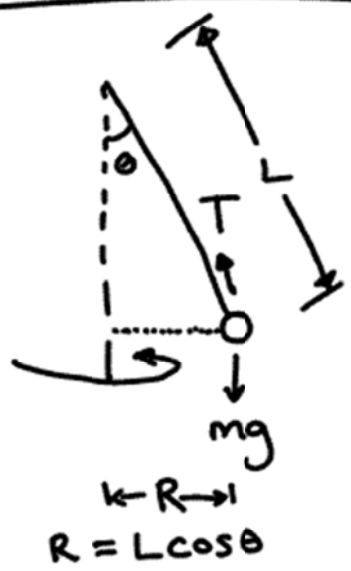
$$\Sigma F_y = mac$$

$$-F_N - mg = mac$$

$$-mg = mac$$

$$g = -ac$$

# Conical Pendulum - Swinging in a circle



<u>Horizontal</u>	<u>Vertical</u>
$\Sigma F_x = max$	$\Sigma F_y = may$
$\Sigma F_x = mac$	$\Sigma F_y = 0$
$T \sin \theta = mac$	$T \cos \theta - mg = 0$
	$T \cos \theta = mg$

System of two equations!